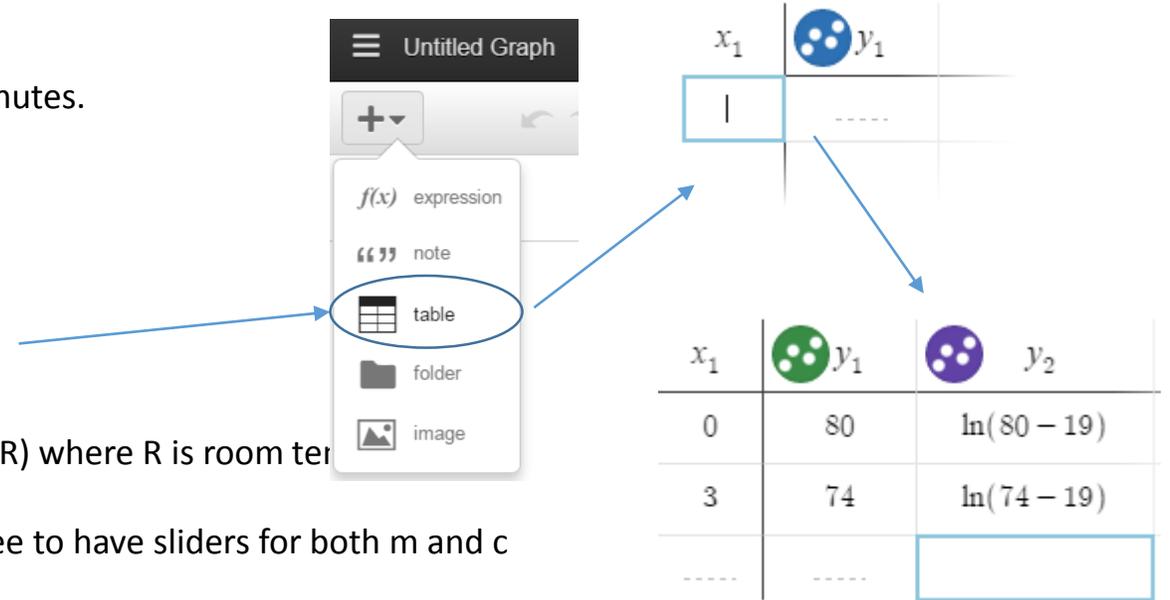


### Task 1:

1. Measure the temperature of a hot drink. Repeat every two minutes.
2. Open desmos.com or download the desmos app
3. Enter your time ( $x$ ) and temperature ( $y_1$ ) data in a table
  - can you predict the next temperature?
4. In a new  $y_2$  column on your table, enter the natural log,  $\ln(y_1 - R)$  where  $R$  is room temperature
5. In a new equation box, enter the equation  $y_3 = mx + c$  and agree to have sliders for both  $m$  and  $c$
6. Manipulate  $m$  and  $c$  sliders (try editing the interval constraints for greater accuracy) to create a line of best fit for the log data
7. Can you work backwards on paper to work out the equation of the temperature data in the form  $y = Ae^{-kx}$ 
  - Plot the graph – is it what you expected?
8. Can you use this equation to predict the temperature of the hot drink after 40 minutes?



### DISCUSSION TASK: How could you make this work in a classroom?

How would you present the problem?

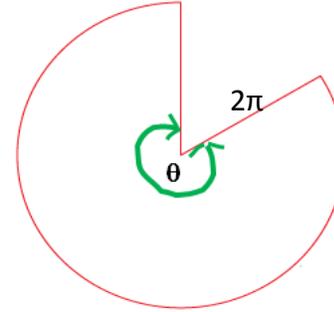
How would the students be working?

Would this be the first/middle/final task in a scheme of work?

## Task 2 – Differing approaches at A Level

Q: A circle has radius  $2\pi$ . You can cut out a sector **leaving** an angle  $\theta$  (in radians)

a) What is the length of the remaining arc?



The resultant shape can be formed into a cone.

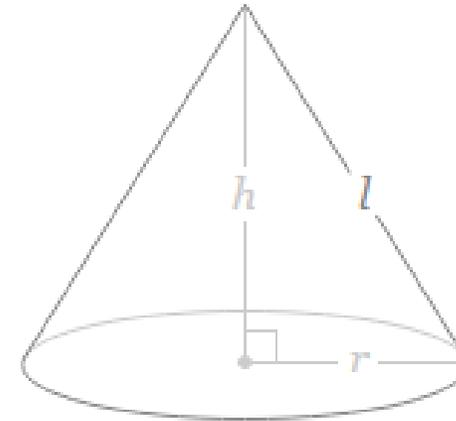
b) What is the base circumference of the cone in terms of  $\theta$ ?

c) Show that  $r$ , the radius of the cone equals  $\theta$ .

d) Find the height,  $h$  of the cone in terms of  $\theta$ .

e) By first finding the volume of the cone, show that

$$\frac{dV^2}{d\theta} = \frac{2\pi^2}{9} \theta^3 (8\pi^2 - 3\theta^2)$$



f) Hence find the angle  $\theta$  for which Volume is maximised

Alternative:

- A sector of what angle should be removed from a circle in order to maximise the volume of the cone that can be created from the resulting net?

